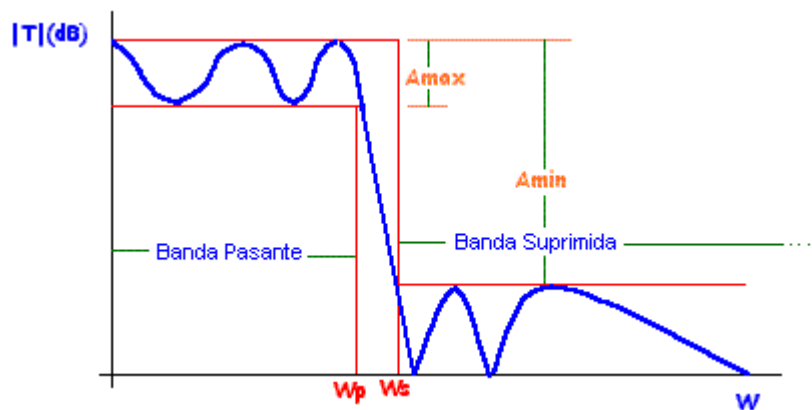


# B&C-LPF

## BUTTERWORTH & CHEVYSHEV LOW PASS FILTERS

### SPECIFICATIONS OF THE FILTER



The process of filter design begins with the characteristic curves of transition of the filter like it is shown in the figure.

As a physical circuit can not give constant transmission in all the passing band, the specifications take into account the deviation of the transmission of passing band from the ideal 0 dB, but it puts a superior bench mark,  $A_{max}(dB)$ , which oscillates between 0.05 and 3 dB. That is,  **$A_{max}$**  is the maximum value that can attenuate the sign in the passing band.

As a circuit can not produce transmission zero in the whole suppressed band, it is specified that the circuit should attenuate at least  **$A_{min}(dB)$**  with regard to the signs of passing band. According to the application of the filter,  $A_{min}$  can vary between 20 and 100 dB.

As the transmission of the filter can not change abruptly, a transition band is specified between  **$w_p$**  and  **$w_s$**  (rad/s) where  $w_p < w_s$  (see figure). Commonly, these values are given in Hz, that is to say,  **$f_p = w_p/2\pi$**  and  **$f_s = w_s/2\pi$** .

Finally, a low pass filter has a gain in DC or  **$A_{dc}$** .

### ***PROGRAM DESCRIPTION:***

**SIZE:**                *2068 bytes*

**CHECKSUM:**        *#5650h*

This program generates transfer functions with polynomials of Butterworth and Chebyshev for the design of Low Pass Filters.

### ***INSTRUCTIONS:***

When executing the program the following fields are observed:

FIELD	DESCRIPTION
Fp	Max passing frequency in Hz.
Fs	Cut frequency in Hz. $f_s > f_p$ .
Amax	Maximum attenuation in passing band.
Amin	Minimum attenuation in cut band.
Adc	DC Gain
STO	¿Save variables?
Rnd	Decimals in the solution (0 = all)
Tipo	Filter type

*After the execution:*

	DESCRIPTION
Wp	Angular frequency = $2\pi f_p$
Ws	Angular frequency = $2\pi f_s$
$\epsilon$	Parameter
N	Order of the filter.

Pressing any key, you will have the two inferior levels of the stack occupied.

In the level 2 a vector that contains the  $N$  poles of the function of the filter (because Chebyshev and Butterworth are ALL POLE functions), and in the level 1 the Transfer function of the filter, in function of the variable  $s$  and  $\omega_0$  (or  $\omega_p$ ) depending of the filter type.

Pressing EVAL, the  $\omega_0$  value (or  $\omega_p$ ) is replaced in the equation to obtain a function of  $s$ .

**PD:**

- English is not my native language, I have tried to carry out the translation without making errors with the help of my PC.
- Please send me a mail, with suggestions, opinions, etc.

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